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Large enhancement of thermoelectric performance in CuInTe₂ upon compression

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Abstract
Thermoelectric materials can directly generate electric power by converting waste heat, and the efficiency is appraised by the figure of merit zT. A high zT value larger than three is required to achieve comparable efficiency of the traditional heat engines. Despite great efforts for over a century, the desired value of three is seemingly an upper limit, and many existing thermoelectric materials have the zT values less than one. If their zT values can be improved for several times to break through the upper limit, the energy revolution could be expected. Here, a p-type CuInTe₂ is chosen as an example to show the extremely important role of pressure in enhancing the thermoelectric performance. Over five times increase of the zT value is realized by the application of pressure. Both the enhancement of the power factor and the reduction of the thermal conductivity account for this large enhancement. The former is due to the optimization of the carrier concentration and band structure, and the latter is attributed to the enhanced phonon anharmonicity. Our results offer an effective method to improve zT of the existing materials for the future technological applications.

With the increasing fossil energy crisis and environment problems, developing alternative energy becomes a major issue. Thermoelectric materials can generate electricity directly from waste heat and are thus considered as renewable energy. Compared with traditional energy, thermoelectric devices are solid-state, noiseless, and environment-friendly. The efficiency of a thermoelectric material is described as a dimensionless figure of merit, $zT = S^2\rho^{-1}k^{-1}T$, where S is the Seebeck coefficient, T is the absolute temperature, $\rho$ is the electrical resistivity, and $k$ is the thermal conductivity. A high zT value larger than three is required to make thermoelectric devices commercially viable [1]. The interdependencies of S, $\rho$, and $k$ complicate the efforts to improve zT [2,3]. The increasing thirst for new energy attracts the worldwide attentions to develop efficient approaches. To date, numerous materials achieve considerable zT~1. The prosperity in turn encourages experimental and theoretical efforts to investigate the principle of zT enhancement [4–6] and to search for new efficient thermoelectric materials.

The general orientation of recent strategies attempts to optimize the electrical transport properties [7–9] or to reduce the thermal conductivity [10]. In respect to the competition between S and $\rho$, zT achieves the optimal value [2] within the carrier concentration of $10^{19}$–$10^{21}$ cm$^{-3}$. Doping and alloying, aiming to optimize carrier concentration, usually enhance the electrical transport properties. Heavily doped lead telluride— and bismuth telluride—based materials possess the high zT value ~1 for a long time [11–13]. These values were hardly improved until introducing nanostructure to thermoelectric materials. Nanostructuring can significantly reduce thermal conductivity due to the enhancement of boundary scattering and led to the discoveries of rather high zT~2.2 in PbTe/SrTe and AgPb$_m$SbTe$_{2m}$ [14,15]. In addition to these strategies, some novel approaches and materials were developed on the basis of unique band structure or lattice structure, such as electronic density distortion [16], band convergence effect [17], and materials with complex structure [2]. Meanwhile, pressure has also been
CulnTe$_2$ belongs to the I-III-VI$_2$ ternary chalcopyrite compounds (I = Cu, Ag; III = Al, Ga, In; and VI = S, Se, Te), sharing a zinc-blende like lattice structure [24] and a multiband structure [25]. It is a promising thermoelectric material [26–28]. The high-pressure thermoelectric parameters of this material were collected based on the technique development by using diamond anvil cells. The cutlet sizes of the diamonds are 300 and 900 μm, respectively. The sample synthesis was detailed previously [26]. All the measurements were repeated twice to check the reproducibility of the data. The obtained results are also compared with the values measured at ambient conditions by using the Physical Properties Measurements System (PPMS) from Quantum Design.

We start to measure the temperature dependence of the electrical and thermal transport properties of CulnTe$_2$ at ambient pressure by using PPMS. The results are shown in Fig. 1. As can be seen, ρ decreases with increasing temperature over the entire range, exhibiting a typical semiconductor behavior. S behaves in a different way. It sharply increases at the beginning and then quickly reaches saturation value at around 550 μV K$^{-1}$ temperatures above 100 K. Such high S values contribute to good thermoelectric performance at high temperatures by this material. The sign of S is always positive in the whole temperature range measured. This indicates that CulnTe$_2$ is a p-type semiconductor. Around the temperature of 400 K, ρ and S are about 1.1 × 10$^{-2}$ Ωm and 557 μV K$^{-1}$, respectively. These values demonstrate that CulnTe$_2$ possesses high density of states and effective mass. As shown in Fig. 1(c), κ follows a λ shape, the typical behavior for many thermoelectric materials. This has been suggested to result from the grain boundary scattering at low temperatures and three-phonon umklapp process at high temperatures [29]. Here the maximum value of κ is believed to be the result of the crystallite dimension [30]. With increasing temperature, κ is dramatically reduced. These measured quantities yield the monotonous increase of zT to about 2.8 × 10$^{-3}$ at 400 K.

At temperatures above 100 K, the zT behavior is mainly controlled by κ due to the weak temperature dependence of ρ and the almost saturation of S. It is apparent that the understanding of the κ behavior is crucial for the thermoelectric effect in this material. The total thermal conductivity includes the lattice contribution κ_l and the electron contribution κ_e. Generally, the quantity of κ_l is negligibly small compared to κ_e in a highly efficient thermoelectric material. The lattice conductivity κ_l can be expressed as [31] $\kappa_l = (a^2b^0_0)/(\gamma c T)$ through the lattice parameter a, material density b, Debye temperature θ_D, and the phonon Grüneisen parameter γ_c. The contributions of a^2 to κ_l can be simplified to the product of the mass and the lattice parameter because of the expression of the density (mass/volume). With increasing temperature, the lattice usually expands, and the mass remains the constant. Their product cannot decrease κ_l as observed. Meanwhile, Debye temperature θ_D tends to saturate at high temperatures. It cannot account for the decrease of κ_l either. Note that the obtained κ_l slowly declines with increasing temperature rather than decreasing inversely with T. All these factors together indicate that the left phonon Grüneisen parameter should mainly capture the changing trend of κ_l.

Low-frequency phonons usually dominate the behavior of γ_c [23,32]. Low frequencies of phonons mean weak atomic interaction in crystalline materials. Heat always transports through phonons. But weak atomic interaction of phonons could reduce the heat carried by phonons. Thus, the phonons can not transport among the atoms to a long distance due to their weak interaction. If these characteristic phonon frequencies decrease with increasing temperature, the lattice conductivity is expected to reduce. This behavior is often called phonon softening. It is due to the enhanced anharmonic nature of the lattice vibration. This turned out to be the
mechanism of the reduction of the thermal conductivity in SnSe [23,32].

Raman scattering spectroscopy is a powerful and effective tool to investigate the zone-center phonons. We have performed low-temperature Raman measurements on CuInTe₂ to investigate the behavior of its zone-center phonons. The sample temperature was controlled from 7 to 300 K in a specially designed cryostat chamber. A 532 nm laser beam was focused on the sample using a 20 times objective to obtain strong signal, and the power was stabilized at 1.5 mW before the objective was used to avoid the localized heating effect. Raman spectra were obtained in a backscattering configuration, and the results at various temperatures are shown in Fig. 2(a). CuInTe₂ belongs to the space group of $D_{12}^{14}$ [33]. The lattice modes at $\Gamma$ point are represented as: $A_1 + 2A_2 + 3B_1 + 3B_2 + 6E$, and all these modes, except $A_2$, are Raman active [34]. The spectra exhibit five characteristic phonon bands with the central frequencies, agreeing with those in previous studies [34]. The symmetry assignment of these modes can be determined as $B_2^1$, $B_1$, $E_1$, $B_2^2$, and $E^2$ respectively. The rest modes are hardly observed because of their small Raman cross sections. As seen in Fig. 2(c), the obtained low-frequency phonon modes $B_2^1$ and $B_1$ clearly show a softening behavior at temperatures above 100 K. Usually only the

Fig. 2. Raman spectra of CuInTe₂ collected at various temperatures from 7 to 300 K at ambient pressure (a) and at various pressures up to 7.9 GPa at room temperature (b). (c) Temperature dependence of the phonon frequencies of the $B_2^1$ and $B_1$ modes at ambient pressure. (d) Pressure dependence of the phonon frequencies of the $B_2^1$ and $B_1$ modes at room temperature. The data were obtained by the Lorentz fitting to the phonon peaks. The dashed lines in (d) are the guidance to the eye.

Fig. 3. Pressure dependence of the Seebeck coefficient $S$ (a), the resistivity $\rho$ (b), power factor (c), and charge carrier concentration $n_H$ (d) for CuInTe₂ at room temperature. Run 1 represents the results obtained by PPMS. Run 2 and Run 3 represent the results with different diamond cutlet sizes of 300 and 900 μm, respectively. Bottom insert of (a): Diagram of Seebeck coefficient measurement under pressure. 1 denotes gasket, 2 denotes epoxy-BN composite, 3 denotes sample, 4 and 5 are two thermocouples, 6 is temperature sensor, 7 is voltmeter. Top insert of (a): $\Delta V$ vs. $\Delta T$ at pressure of 0.3 GPa. The linear fitting to the data was used to determine $S$. Insert of (b): Four electrical leads were attached to the sample. Insert of (d): Hall resistance vs. magnetic field at pressure of 0.5 GPa. The dashed lines are the guidance to the eye. PPMS, Physical Properties Measurements System; PF, power factor.
optical branches of the phonons can be observed from the Raman spectra. In the case of nano-crystalline materials or for the low-frequency modes with overlapping acoustic and optical branches, the obtained low-frequency Raman phonons are valuable to provide the desired phonon information on $\gamma_C$. The obtained results support the enhancement of phonon anharmonicity with increasing temperature in this material. Therefore, the increase of $zT$ with temperature above 100 K in the studied material should be mainly controlled by the enhanced phonon anharmonicity. Finding a way to further soften these phonon modes could ensure the further enhancement of $zT$ in this material.

Next we investigate the pressure effects on these thermoelectric parameters. The principle and designed diagram for Seebeck coefficient $S$ measurements are shown in the bottom insert of Fig. 3(a). In such a design, the sample was made in the cylinder shape and was surrounded by the adiabatic pressure medium to ensure the temperature gradient along the axis of the cylinder from the heater (one side) to the cooler (the other side). Measurements of the thermoelectric voltage difference ($D\Delta V$) with the applied temperature gradient ($D\Delta T$) within 10 K at various pressures were used to calculate $S$. The top inset of Fig. 3(a) shows the obtained data at pressure of 0.3 GPa. The obtained results as a function of pressure are summarized in Fig. 3(a). The initial values of $S$ in the 2nd and 3rd runs are about 551 ± 80 and 559.0 ± 80 $\mu$V K$^{-1}$, respectively, consistent with that in the 1st run. With increasing pressure, $S$ roughly monotonously decreases from the initial value to about 80 $\mu$V K$^{-1}$, exhibiting a strong pressure dependent behavior. The $S$ reduction implies the pressure-induced increase of the carrier concentration and/or the decrease of the density-of-states effective mass.

At high pressures, the $\rho$ was measured by using four-probe method. The electrodes were placed at the top side of the sample as shown in the insert in Fig. 3(b). The obtained $\rho$ values of CuInTe$_2$ as a function of pressure are plotted in Fig. 3(b). As can be seen, $\rho$ is significantly suppressed by the applied pressure. It is decreased to $1.1 \times 10^{-4}$ $\Omega$m at around 8 GPa. This value is almost two orders in magnitude smaller than that at ambient pressure. The impressively reduced $\rho$ is comparable with that of the optimal doping sample [28]. Such a behavior is similar to $S$, both indicate a significant modulation of the band structure. Around 6 GPa, the drop of $\rho$ together with the obvious decrease of $S$ implies a possible phase transition. This phase transition has been detected from a high-

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**Fig. 4.** (a) Diagram for thermal conductivity measurement. (b) Raman spectra of the $E_1$ mode at pressure of 2.2 GPa measured as functions of temperature and laser power. The phonon frequencies were obtained by Lorentz fitting to the data. (c) Frequencies of the $E_1$ mode as functions of temperature and laser power at various pressures. $\chi_T$ and $\chi_W$ were obtained from the linear fitting to the data.
pressure synchrotron X-ray study [35]. The material was found to transform from its initial chalcopyrite phase to the d-Cmcm phase with a volume reduction of 8% at around 6 GPa [35].

Now we are able to calculate the pressure-dependent power factor (PF) by using the formula $\text{PF} = S^2/R_H$. The results are plotted in Fig. 3(c). Below 6 GPa, the PF value gradually increases to about 3 times over the ambient pressure value. Above that, PF sharply breaks to an impressive value about 1.5 $\mu$W cm$^{-1}$ K$^{-2}$ due to the rapid decrease of $\rho$. This significant improvement of PF is achieved in a thermoelectric material only through the application of pressure. This finding adds one more example to demonstrate the powerful role of pressure in improving PF for thermoelectric materials [18–22].

The PF behavior mainly reflects the electrical transport properties. Hall effect measurements were taken to get the insight into the pressure effects on these properties. Hall coefficient $R_H$ was obtained by measuring Hall resistance through scanning magnetic fields from $-4$ Tesla to 4 Tesla at room temperature and each interested pressure. The insert of Fig. 3(d) shows the magnetic field dependence of the Hall resistance at 0.5 GPa. The carrier concentration $n_H$ was thus calculated by using the formula $n_H = 1/\epsilon e R_H$ based on the carrier concentration dependence of $R_H$. The results are shown in Fig. 3(d). Here $n_H$ monotonously increases to the ideal value about $3 \times 10^{19}$ cm$^{-3}$ around 6 GPa. The improvement of PF and the reduction of $\rho$ can be explained by the pressure-induced optimization of $n_H$. This indicates that applying pressure is able to comprehensively optimize the band structure [36] and $n_H$. Around 6 GPa, $n_H$ breaks from $2.8 \times 10^{19}$ to $3.2 \times 10^{21}$ cm$^{-3}$. The behaviors of $n_H$, $S$, and $\rho$ indicate a phase transition in this compound at 6 GPa, in consistence with the structural study [35].

In order to determine pressure dependence of $\kappa$, we developed a technique based on the high-pressure Raman scattering measurements by changing temperatures and laser powers. Similar method has been used to determine the $\kappa$ of thin films, such as MoS$_2$ and graphene [37,38]. The focused laser beam will introduce localized heating effect on the cuboid sample, which has been observed previously [39]. Within the ideal thermal transport model shown in Fig. 4(a), $\kappa$ can be expressed as [37]:

$$\kappa = \frac{1}{\tau} \frac{d}{dr} \left[ \frac{1}{\tau} \right] + q(r) = 0$$

where $T(r)$ is the temperature distribution, $r$ is the position measured from the heating point, and $q(r)$ is the heat flux distribution. The boundary thermal transport and heat dissipation are neglected in such a model, and the isotothermal surface is hemispheric. For the measurements of phonon frequencies with the changes of temperature or laser power, a modified $\kappa$ expression is simplified by:

$$\kappa = \frac{2\alpha}{\pi r_0 \chi_T}$$

where $W$ is the laser power, $\alpha$ is the absorption coefficient of the laser power, $r_0$ is the width of laser beam on the sample, $\chi_T = \Delta \omega/\Delta T$ ($\chi_W = \Delta \omega/\Delta W$) is the first-order temperature (laser power) derivative of $\omega$, and $\Delta \omega$ is the phonon frequency shift due to the variation of temperature or laser power. Here $\alpha$ is assumed to be insensitive to pressure and can be then estimated from the comparison of the value of $\kappa$ at ambient pressure measured by other methods. This assumption will not affect the studied trend with pressure. In our measurements, neon was chosen as the pressure transmitting medium. The heat dissipation through neon medium can be safely neglected due to its low $\kappa$ [40]. Meanwhile, the sample size was chosen to be large enough to avoid the boundary heat transport. Therefore, the developed technique is capable to give accurate $\kappa$ value at each pressure and its evolution with pressure.

The $E^1$ mode of CuInTe$_2$ exhibits relative strong temperature and laser power–dependent behavior. This mode was thus chosen to calculate $\kappa$. Fig. 4(b) shows the Raman spectra of the $E^1$ mode at 2.2 GPa collected at different temperatures with a fixed laser power or by changing laser powers at a fixed temperature. The obtained frequencies from Lorentz fitting to the data are plotted in Fig. 4(c) as functions of temperature and laser power at various pressures. $\chi_T$ and $\chi_W$ were thus determined by the linear fitting to the data for each pressure. Based on the measured $r_0$ and the obtained $x$ from the comparison of the ambient pressure $\kappa$ value measured by PPMS, we obtained the pressure dependence of $\kappa$ for CuInTe$_2$ [Fig. 5(a)]. With increasing pressure, $\kappa$ is significantly reduced from 11.7 W m$^{-1}$ K$^{-1}$ to a minimum value of 4.1 W m$^{-1}$ K$^{-1}$. It remains at relative low values at high pressures. Above 6 GPa, a modest increase of $\kappa$ is observed when the material enters a new phase [35]. The pressure level for the $\kappa$ anomaly is almost the same as $\rho$ and $n_H$, again indicating the phase transition. The pressure-induced reduction of $\kappa$ at low pressures is a surprising discovery of this work.

Raman spectra were again collected at pressures up to 7.9 GPa to understand the $\kappa$ reduction, especially the expected phonon soften-ning as indicated before. The collected spectra at room temperature at various pressures are shown in Fig. 2(b). Indeed, the two low-frequency phonon modes $B^1_2$ and $B^2_2$ roughly exhibit anomalous softening. The softening of these modes can be clearly seen in Fig. 2(d). Pressure-induced phonon anharmonicity therefore becomes the leading mechanism to account for the reduction of $\kappa$ in this material. Above 6 GPa, the phonon intensities are significantly reduced and almost vanished around 8 GPa. This again coincides with the phase transition reported previously [35].

Now that the pressure dependences of $S$, $\rho$, and $\kappa$ have been determined, we are able to obtain the evolution of $zT$ with pressure.


